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Date:

**Objective**: Identify the constant of proportionality and write in equation form.

Vocabulary	Steps:
<b>Proportional Relationship</b> : a relationship between two equal ratios	To find the constant of proportionality, use the following:
$\frac{5 \text{ apples}}{2 \text{ dollars}} = \frac{20 \text{ apples}}{8 \text{ dollars}}$	<b>Table:</b> convert one entry to a ratio; the equivalent fraction with 1 in the denominator is the constant of proportionality.
Written form is <b>y = kx</b> ; where <b>k</b> is constant, using the ordered data pairs (x, y).	Coordinate Plane: write one coordinate (x, y) as the fraction $\frac{y}{x}$ ; the equivalent fraction with 1 in the denominator is the constant of
<b>Constant of Proportionality:</b> the <u>factor</u> multiplied by the <i>x</i> -value to get the corresponding <i>y</i> -value. The unit rate and constant of proportionality both represent the value of the ratio of <i>y</i> : <i>x</i> .	proportionality. <u>Linear Equation y = kx</u> : the coefficient k is the constant of proportionality.
y = kx	
<b>k</b> is the constant of proportionality. $k = \frac{y}{x}$	Verbal Description: the constant of proportionality is the unit rate.



## **Homework** Unit 3 · Lesson 9: Constant of Proportionality

Example # 1	Example # 2
Directions: Identify the constant of proportionality and create an	equation that represents the relationship.
The amount of sugar needed for a cookie recipe is proportional to the number of cookies, as shown in the table. What is the constant of proportionality?	The graph below shows Jerry's earnings for coffee sales. Find and interpret the constant of proportionality.
Sugar (tbsp)         Cookies           2         12           3         18           4         24	Dollars (10, 200) 100 (5, 100) 5 Coffee Sales
Solution:	Solution:
<ul> <li>Identify the unit rate using words: <u>cookies</u> <u>then sugar</u> </li> </ul>	<ul> <li>Identify the units being used: He earns y dollars for x coffee sales.</li> </ul>
• Identify the given ratios: $\frac{\text{cookies}}{\text{tbsp sugar}} \rightarrow \frac{12}{2}, \frac{18}{3}, \frac{24}{4}$	• Unit rate in words: $\frac{y \text{ dollars}}{x \text{ coffee sales}}$ .
• Identify the unit rate: $\frac{12}{2} = \frac{6}{1}$ , $\frac{18}{3} = \frac{6}{1}$ , $\frac{24}{4} = \frac{6}{1}$	• Identify the unit rates for each given data point, $\frac{100}{5} = \frac{20}{1}$
• The constant of proportionality is $\frac{6}{1}$ or 6.	and $\frac{1}{10} = \frac{1}{1}$ .
• The equation to represent this proportional relationship is: y = 6x.	• The constant of proportionality for the given data points is $\frac{20}{1}$
	<ul> <li>The unit rate means that Jerry earns \$20 per coffee sale.</li> <li>The proportional relationship between what Jerry earns for coffee sales can identified by the equation y = 20x.</li> </ul>



Homework	Name:
Unit 3 · Lesson 9: Constant of Proportionality	Date:

**Directions:** Determine the constant of proportionality and create an equation.

1. The amount of oil needed for a bread recipe is proportional to the quantity of nuts, as shown in the table.

Oil	Nuts	У
x	у	x
2	$\frac{1}{3}$	
3	$\frac{1}{2}$	
4	$\frac{2}{3}$	

2. The graph below shows the proportions of sugar to flour in Fran's cake recipe.



3. The number of miles that Matt bikes is proportional to the number of hours that he rides.

Miles x	Hours <i>y</i>	$\frac{y}{x}$
4	6	
18	27	
12	18	

4. The graph shows a proportional relationship between *y* and *x*.



## **Homework** Unit 3 · Lesson 9: Constant of Proportionality



Explain the steps you used to solve problem number \_\_\_\_\_\_.

